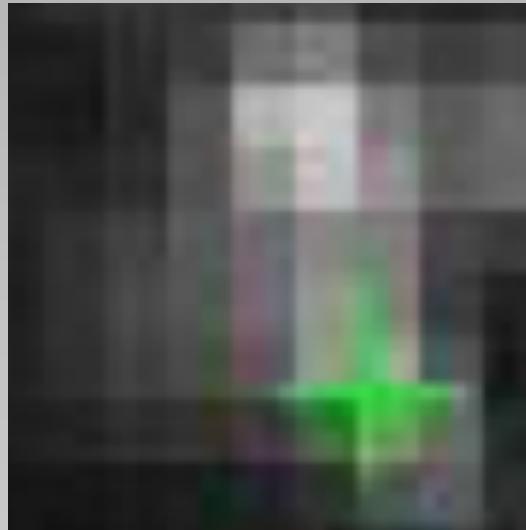
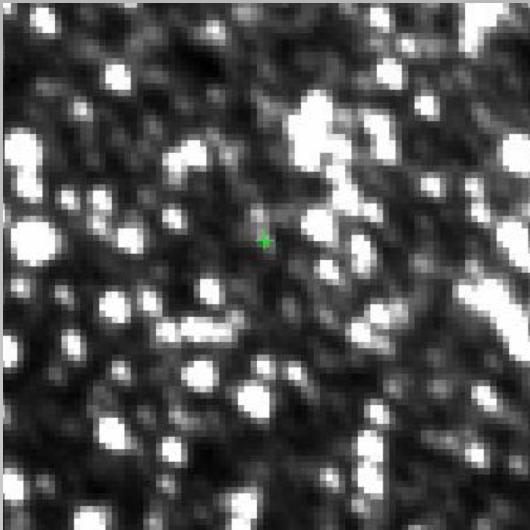


Using AO Follow-up to Characterize Microlensing Exoplanets

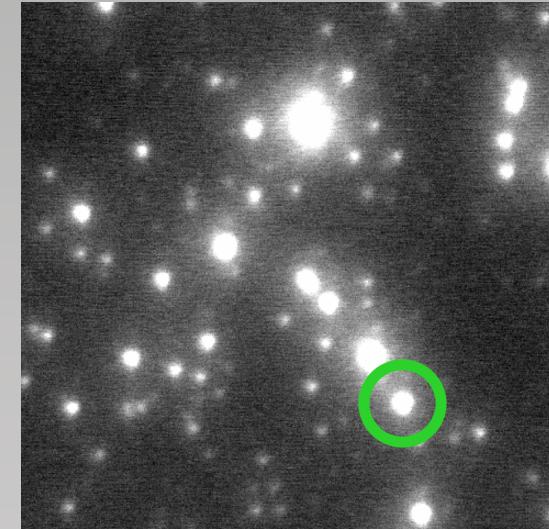
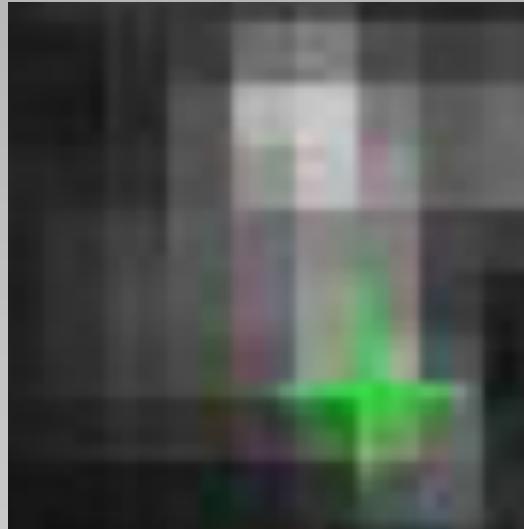
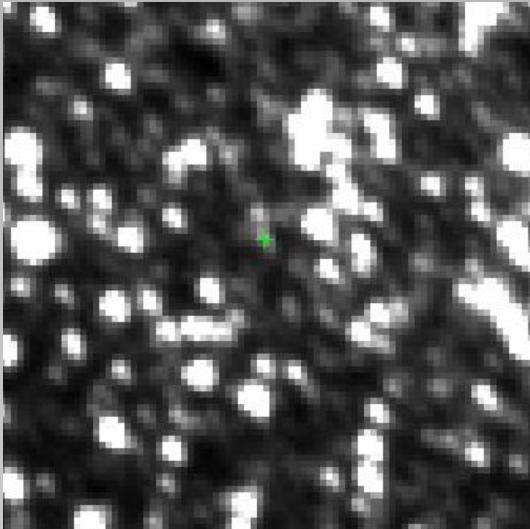


Primary Collaborators

Chas Beichman (NExScl)
Chris Gelino (NExScl)
Yossi Shvartzvald (JPL)

Jessica Lu (UC Berkeley)
JP Beaulieu (IAP)
David Bennett (Goddard)

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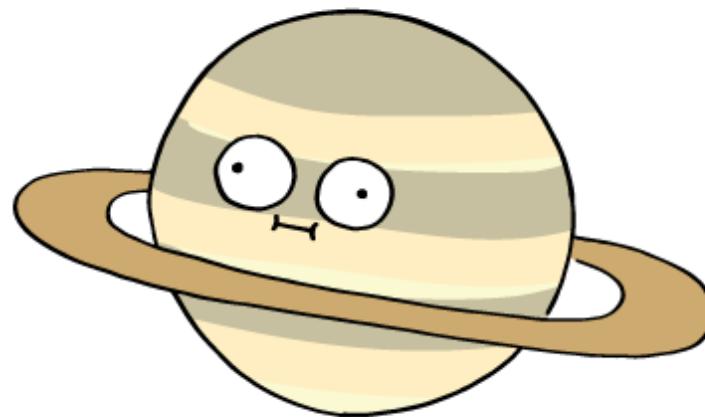
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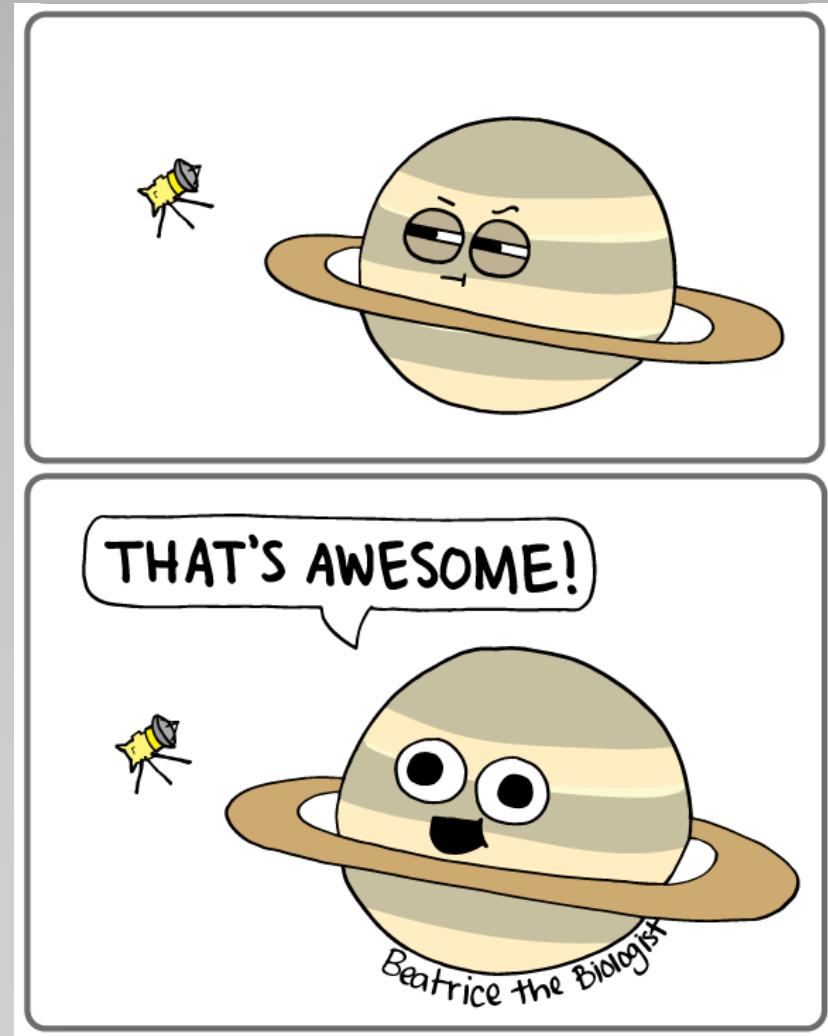
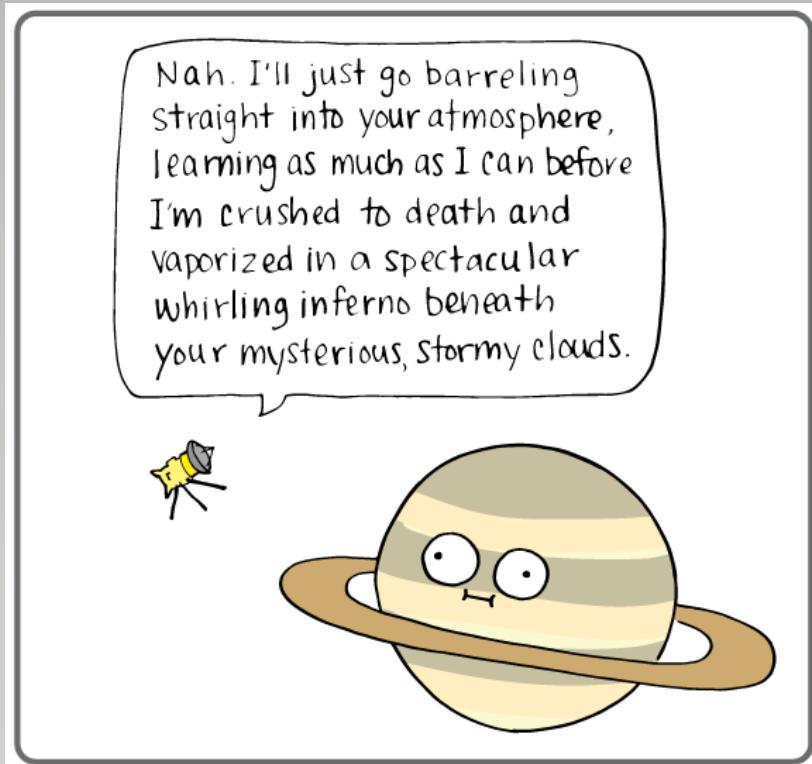
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Hey Cassini, wanna come to the first day of
ExSoCal 2017 and learn about microlensing?

Nah. I'll just go barreling
straight into your atmosphere,
learning as much as I can before
I'm crushed to death and
vaporized in a spectacular
whirling inferno beneath
your mysterious, stormy clouds.



Hey Cassini, wanna come to the first day of
ExSoCal 2017 and learn about microlensing?



Microlensing Exoplanet Properties: Mass and Distance

(1) Einstein Radius:

- finite-source effects (ρ)
- astrometry

$$M_l = \frac{(\theta_E)^2}{K \pi_{\text{rel}}}$$

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(2) Microlens Parallax:

- orbital motion
- observer separation

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- “prompt” follow-up
- spatially resolve lens

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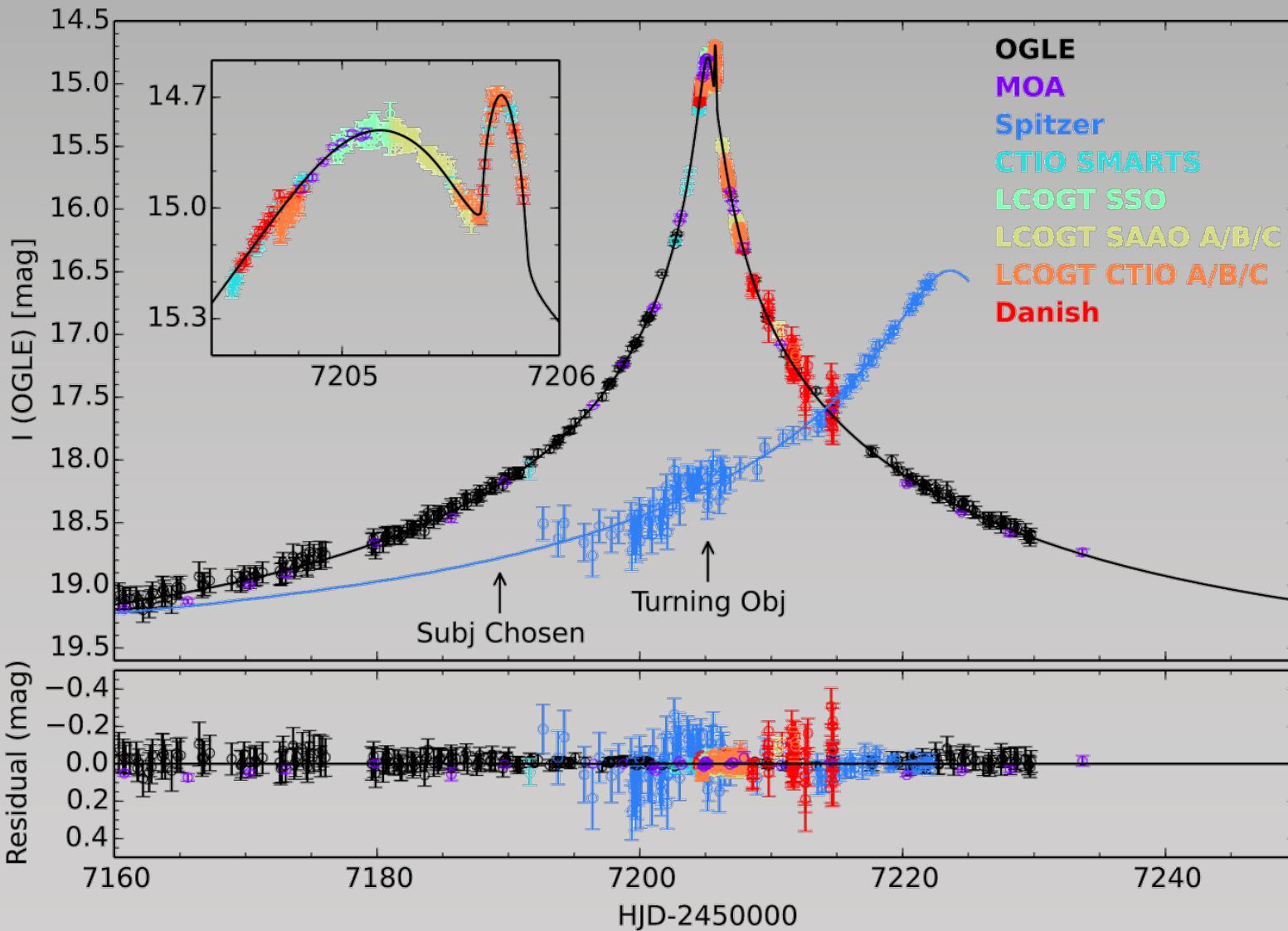
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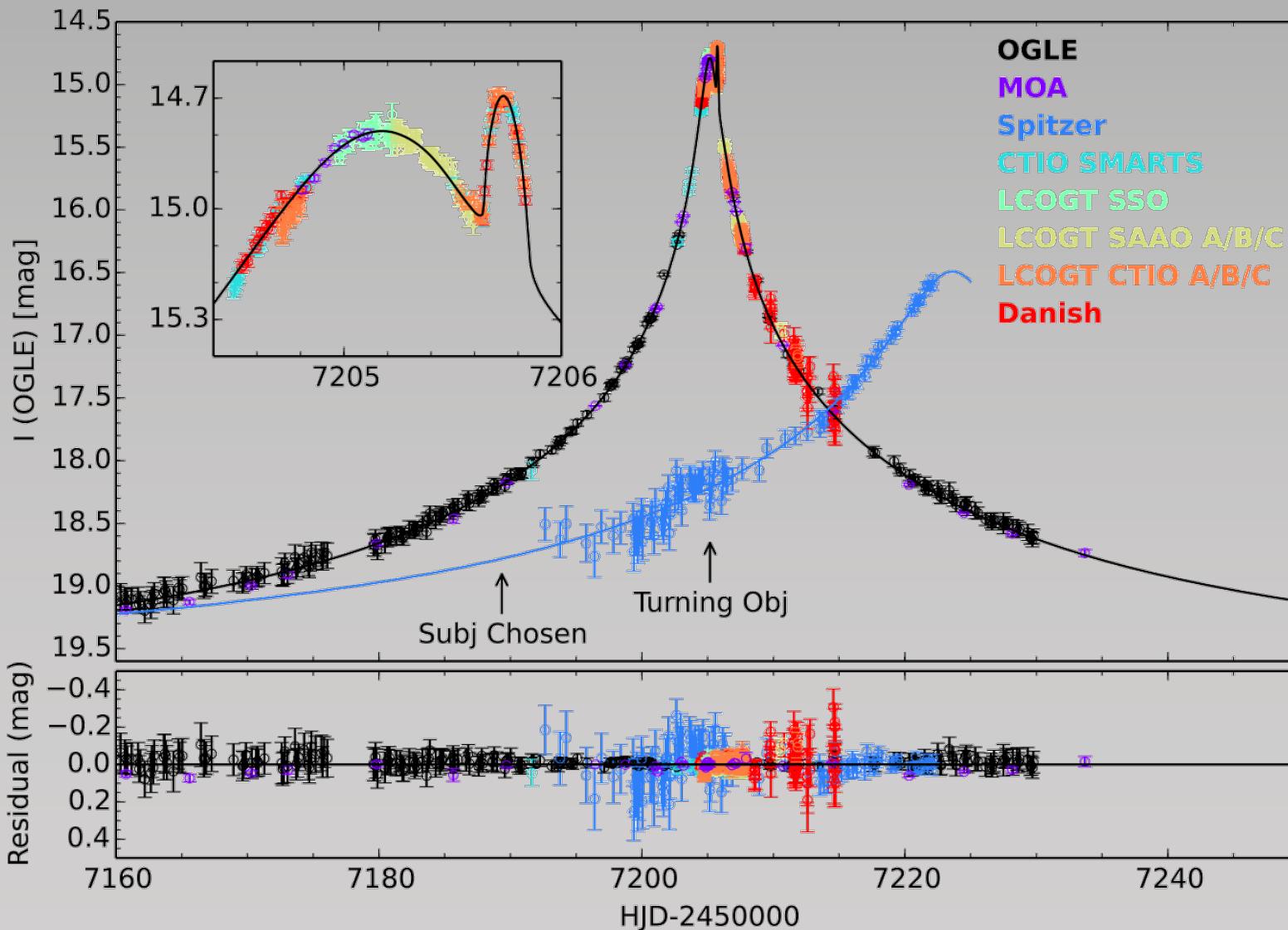
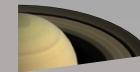
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➡ **After event is over!**

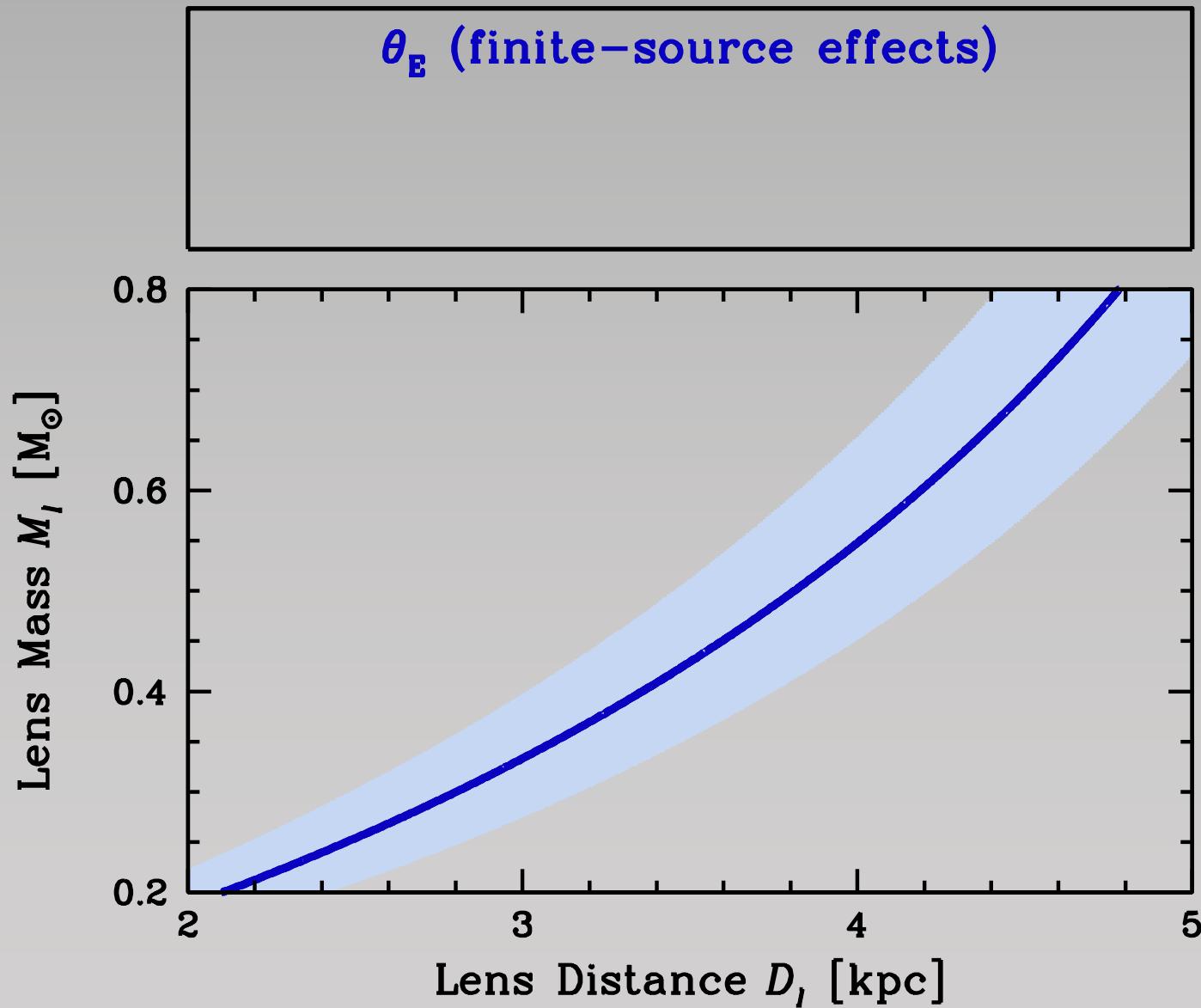
OB150966: Spitzer target



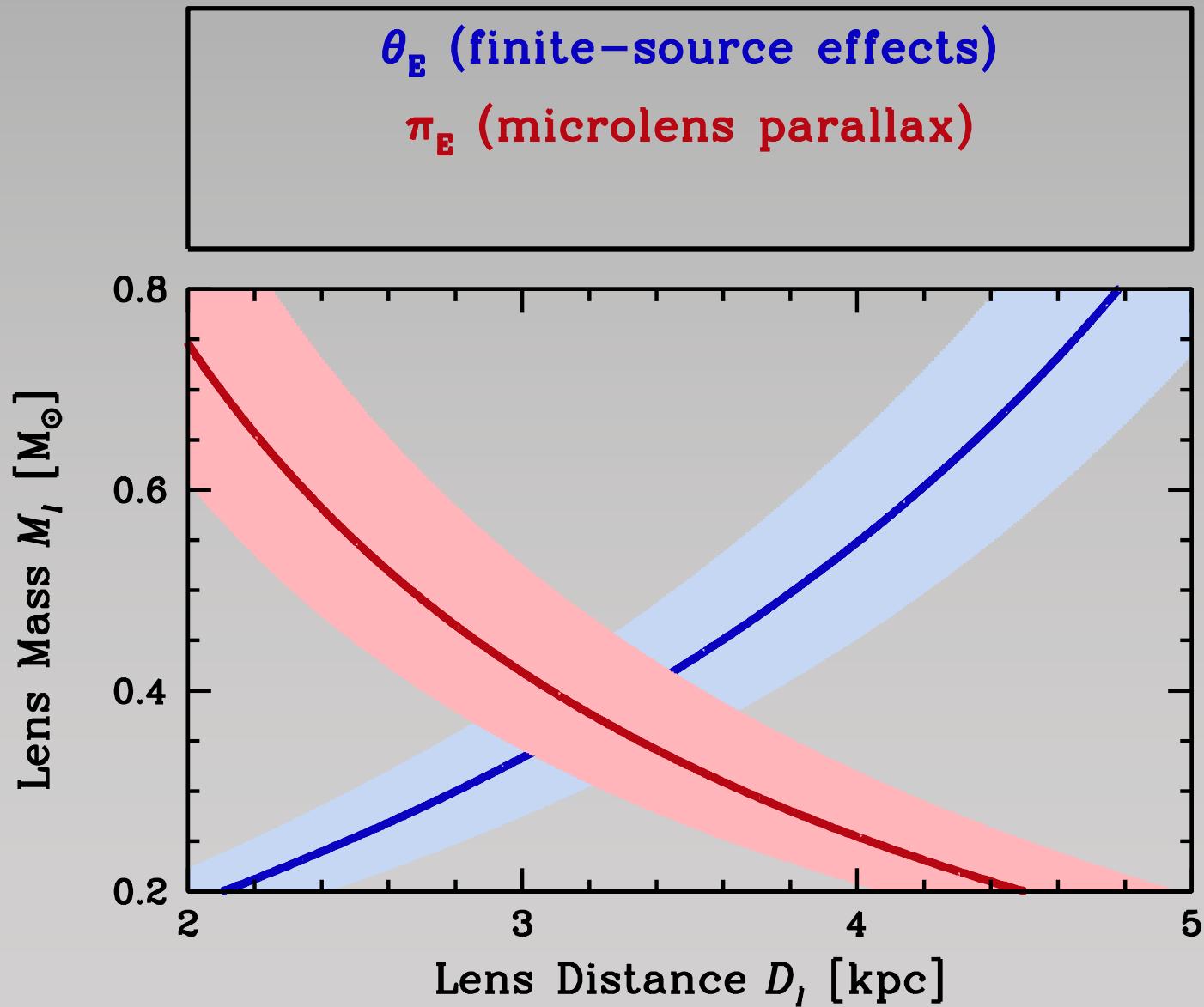
OB150966: *Spitzer* target



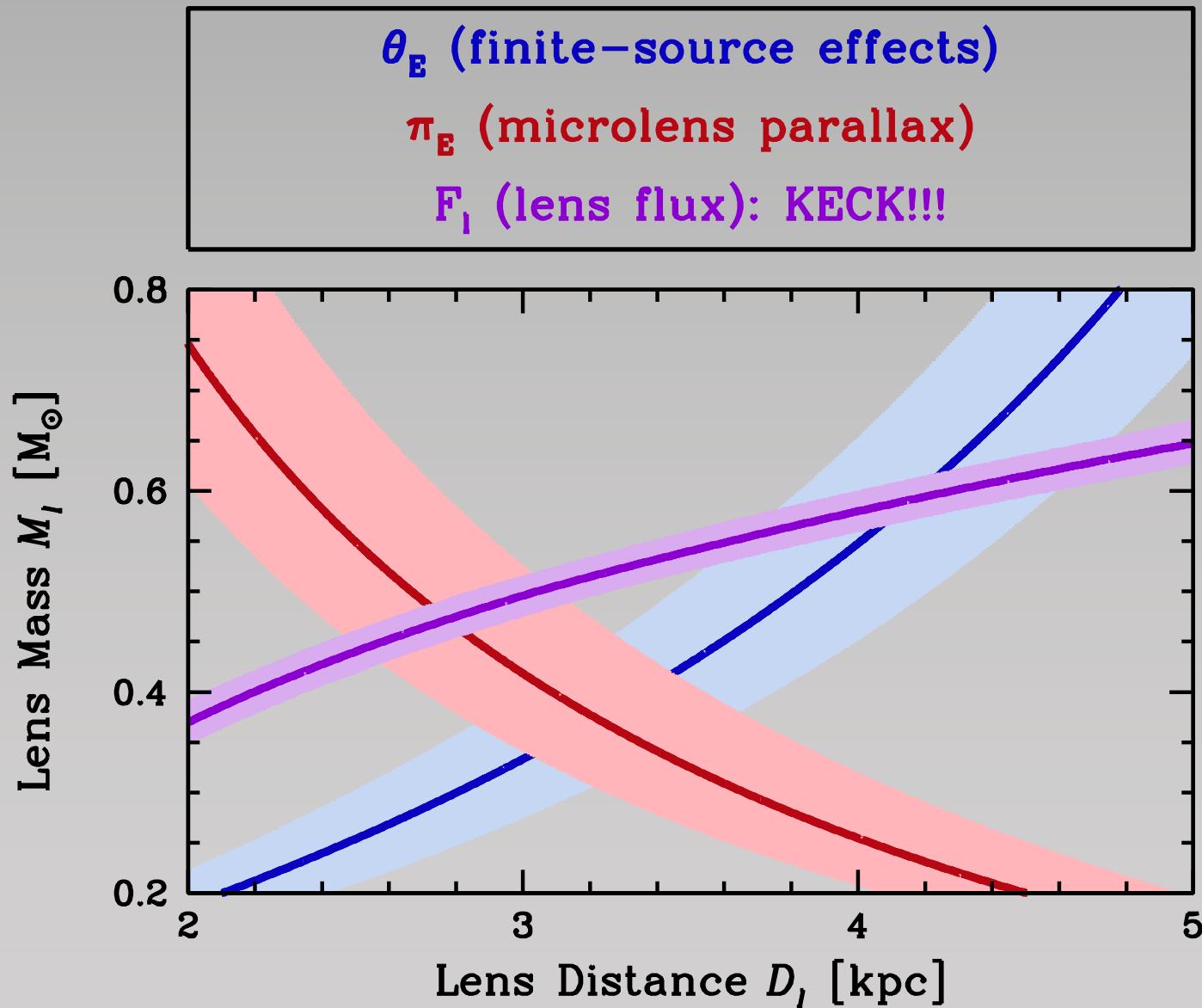
OB150966: Mass-distance Relations (I)



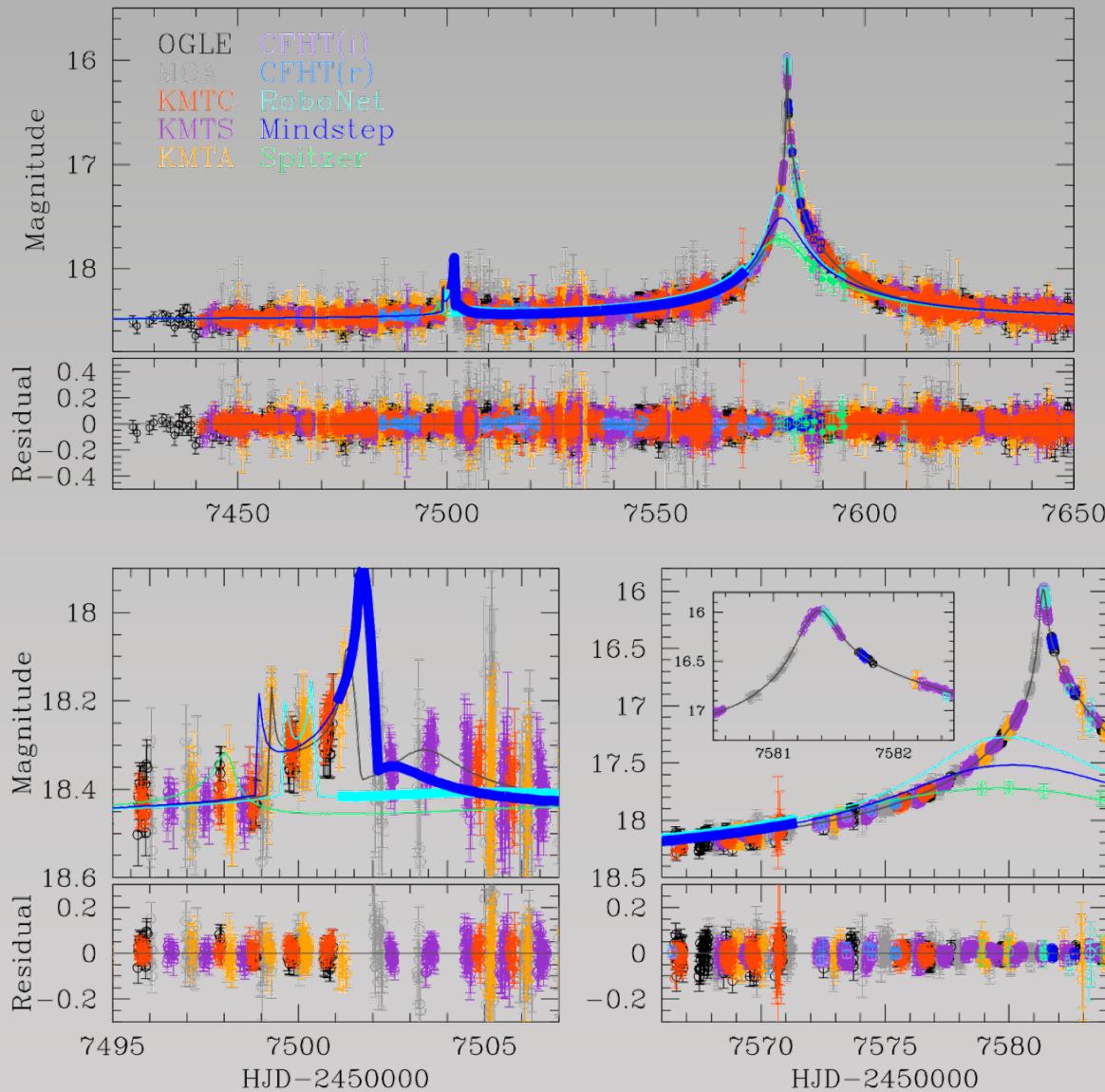
OB150966: Mass-distance Relations (II)



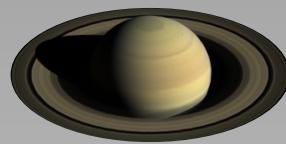
OB150966: Mass-distance Relations (III)



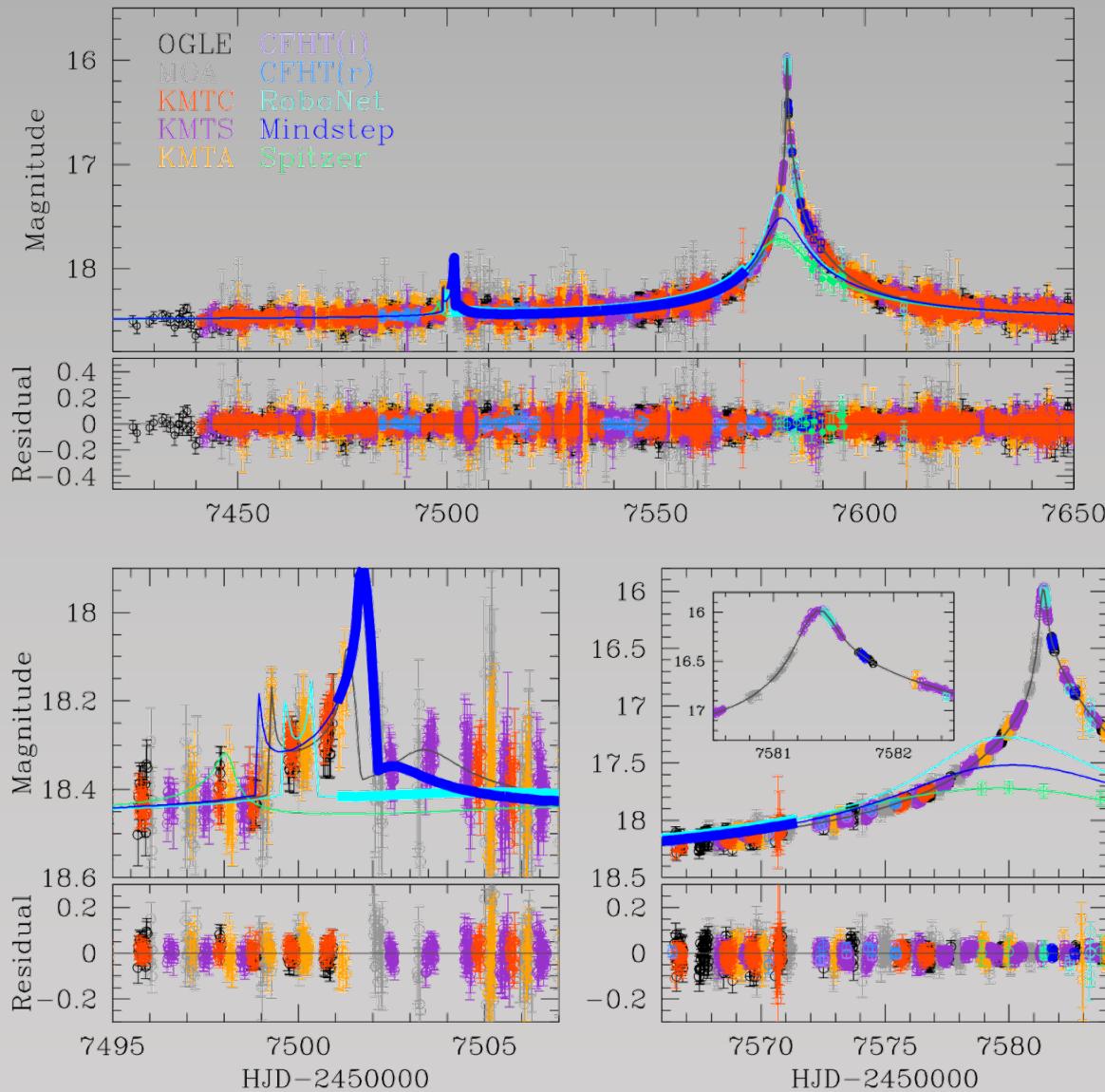
OB161190: *Spitzer* and K2C9



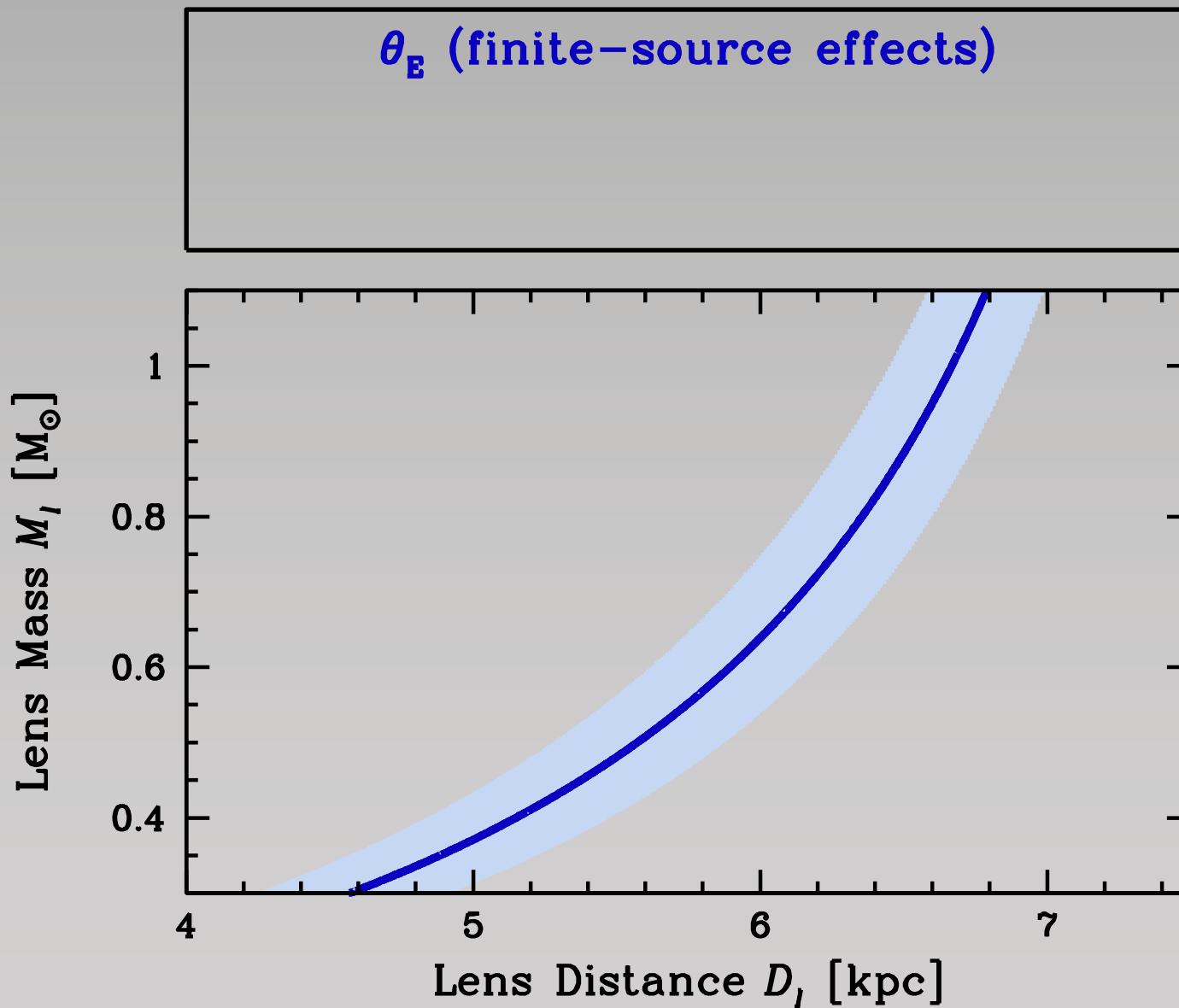
OB161190: *Spitzer* and K2C9



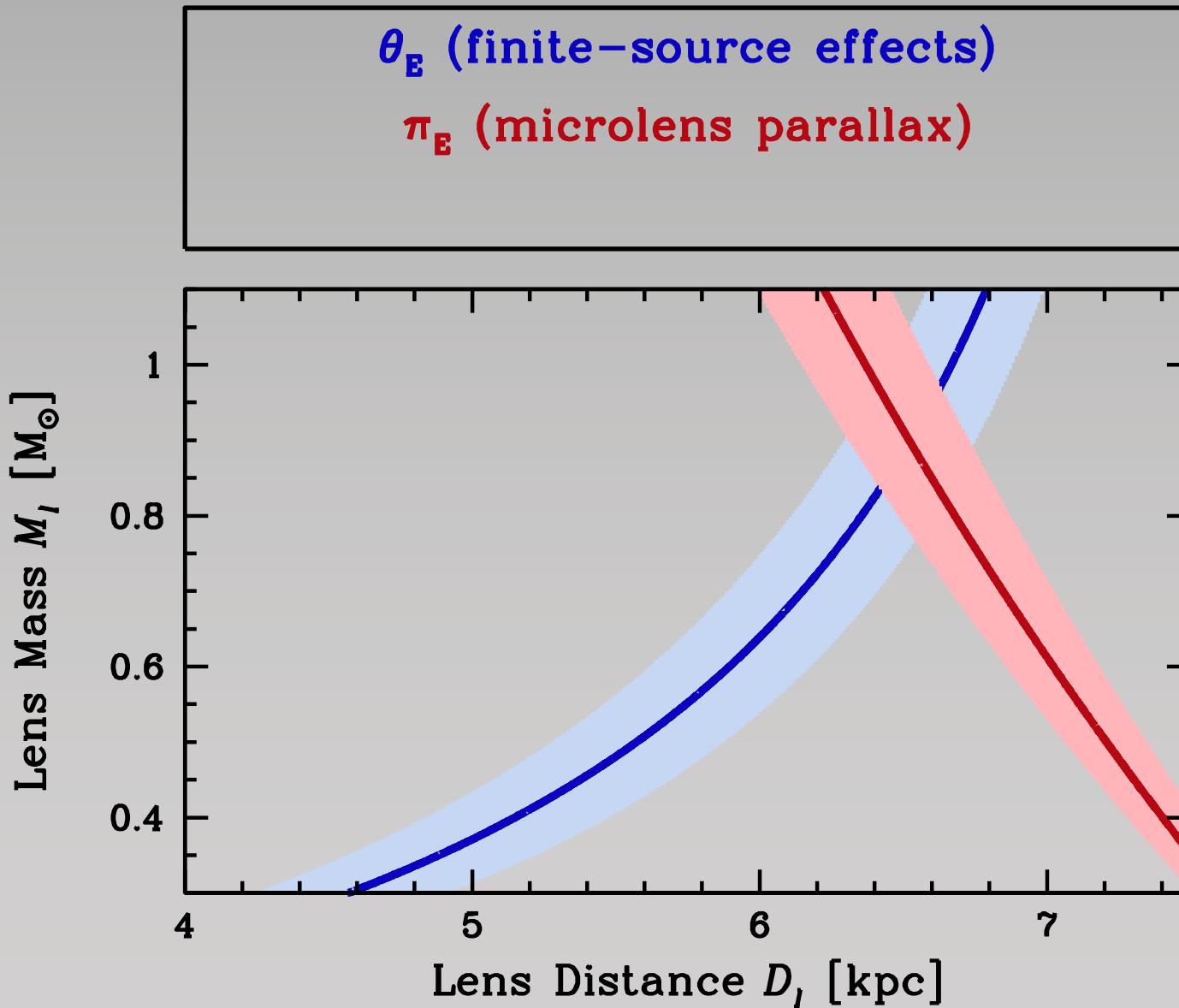
x ~45



OB161190: Mass-distance Relations (I)



OB161190: Mass-distance Relations (II)

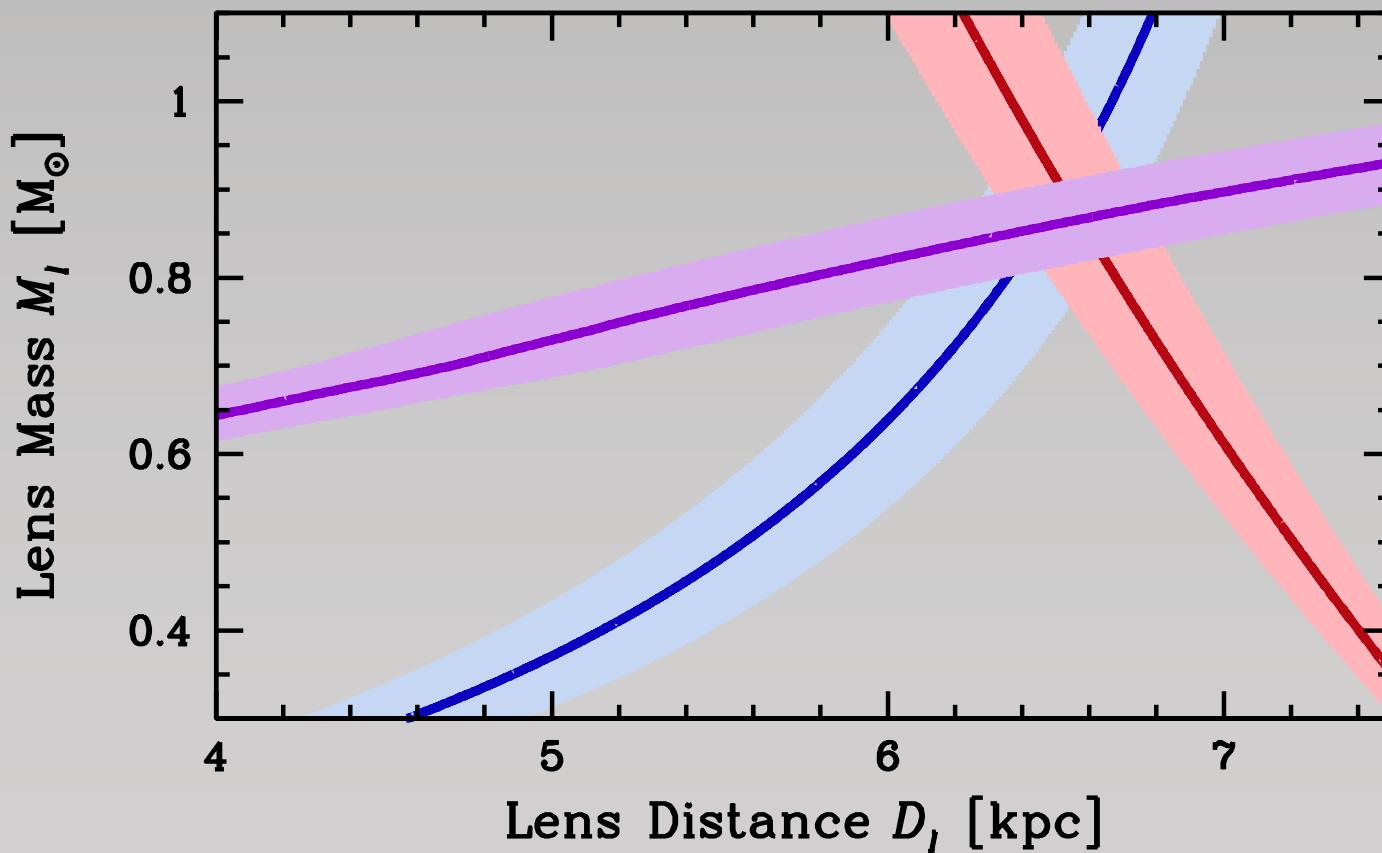


OB161190: Mass-distance Relations (III)

θ_E (finite-source effects)

π_E (microlens parallax)

F_l (lens flux): KECK!!!



Microlensing Follow-up with Keck: Immediate Science *and* WFIRST Prep!

...but:



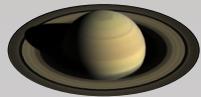
Isochrones versus empirical mass-luminosity relations



Stellar age is generally unknown



Direct measure of NIR extinction toward lens



Systematic uncertainty in absolute photometric calibration



Blend flux contribution from ambient stars



Blend flux contribution from companion(s) to lens or source



How to reconcile with θ_E and π_E methodologies?!?