



# **The Design of a Sample Observing Program**

**Bob Thompson**

**JPL**

**Michelson Summer School**

**9 July 2003**

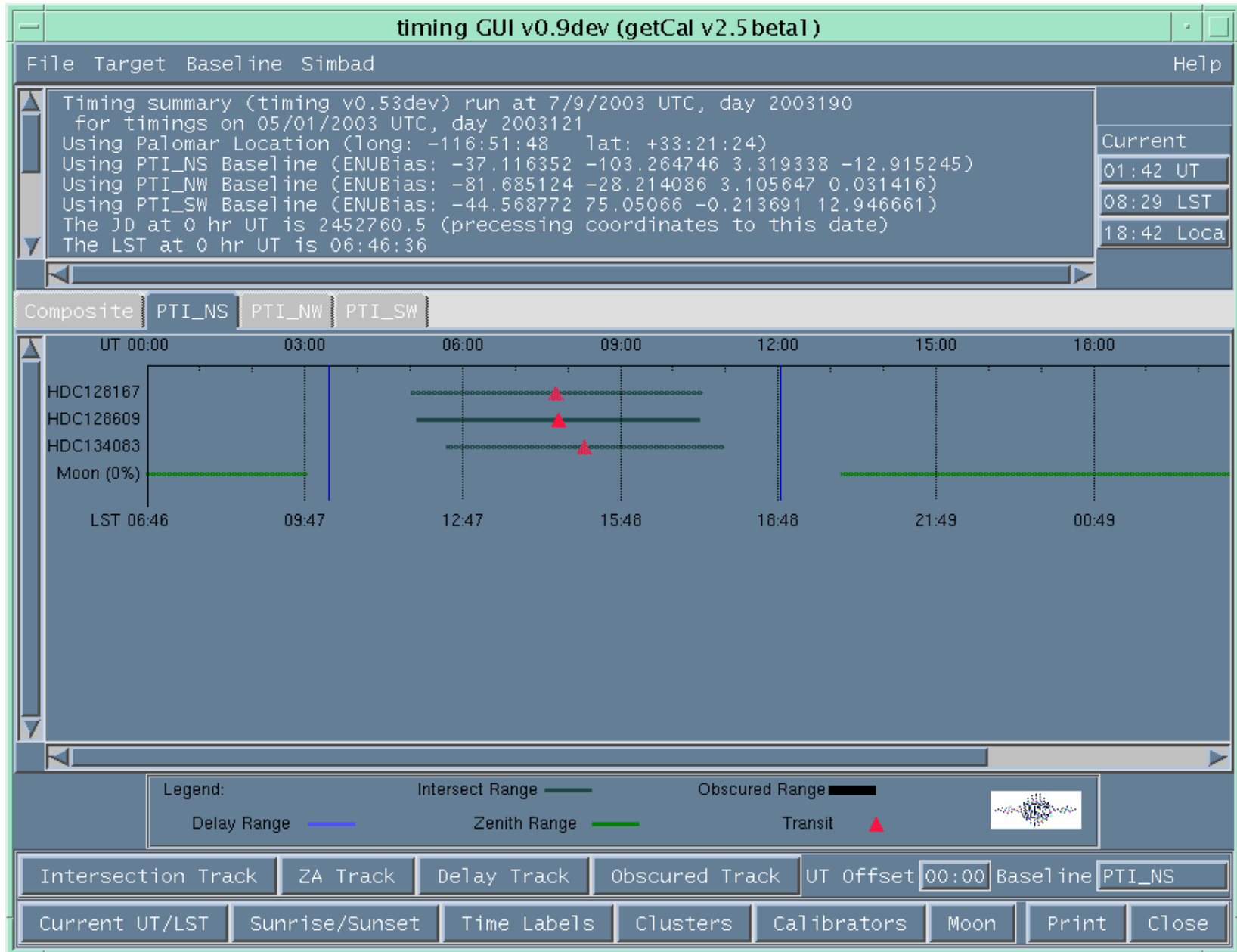
# Target Selection

- Choose scientifically interesting targets that are viable for the interferometer you're using.
- Make sure your science program hasn't already been done before.
- Utilize previous studies in the literature to gain as much information on your target as possible. Single baseline interferometry requires *a priori* assumptions about your target: (Uniform disk? Binary modeled as two point sources? Thin disk with point source? etc etc)

# Viability

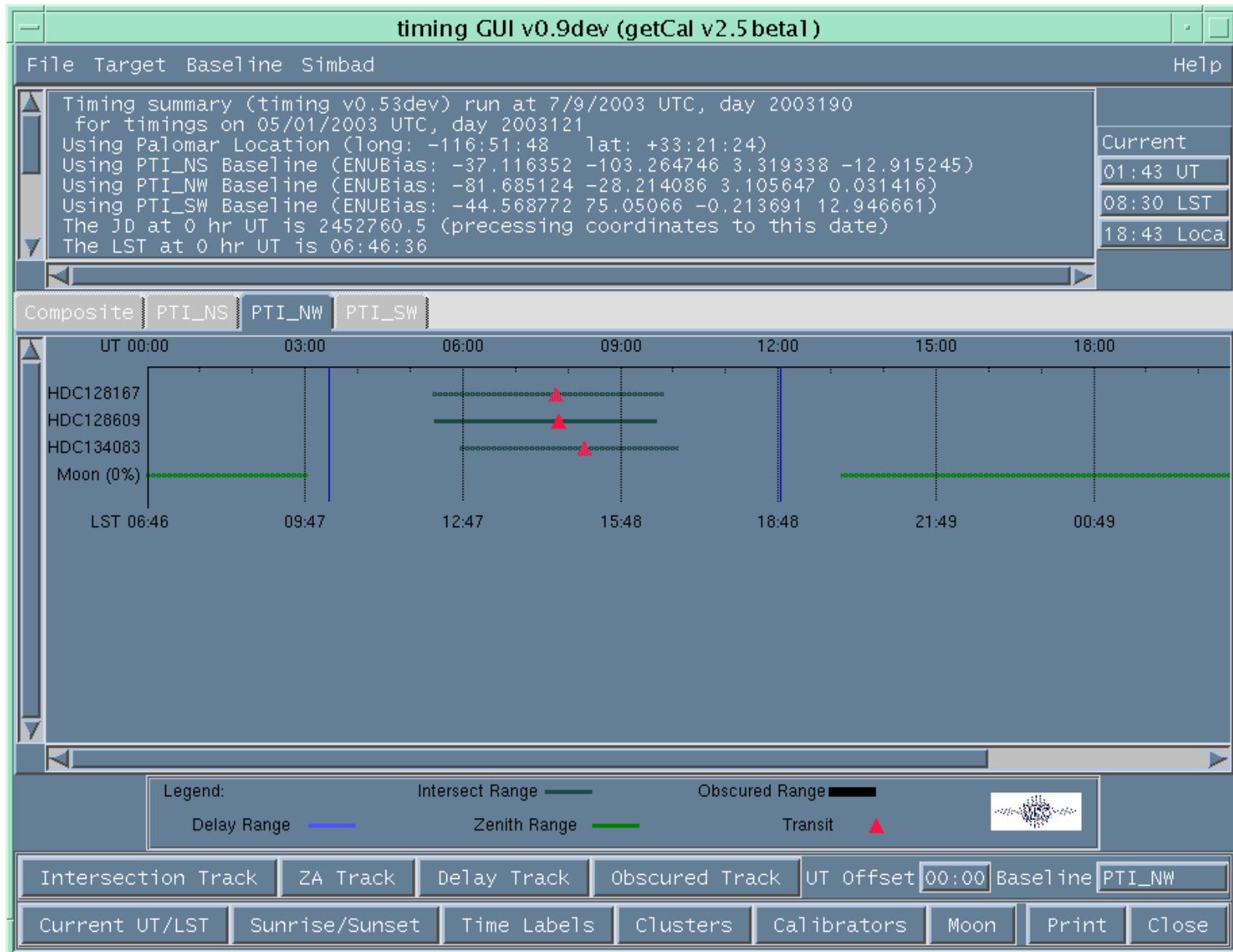
- For a source changing in brightness (variable stars), use available photometry to predict when your target can be viewed by the interferometer.
- Example: The sizes of pulsating Mira stars can be predicted based on their V-K color. Predict when size is within resolution range of IF, and predict when bright enough to stay tracked. (Also true of Cepheids, pulsating supergiants, etc.)
- Use a  $V^2$  prediction program for binary stars and for target with non-circular symmetry.
- Anticipate the results before you get the data, and compare theory to observation.

# Is the target viewable?



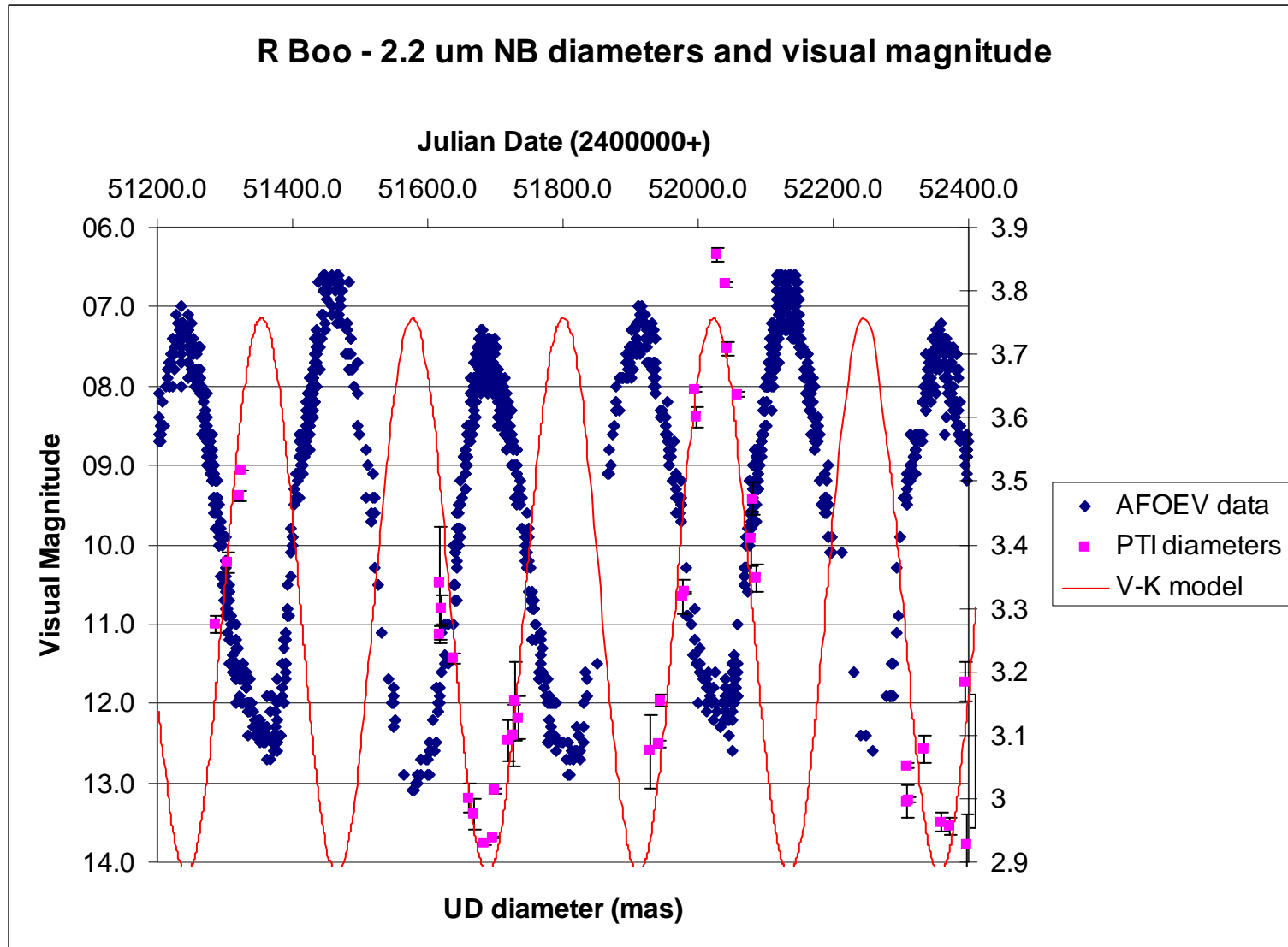


# Check other baselines...



# Predicting angular sizes: R Bootis (V-K) Oxygen-rich model

(Thompson et al, 2003)



# Binary stars

Let's say we wish to resolve a binary star orbit. We assume the two stars are uniform disks (UD), such that

$$|V|^2 = \left( 2 \frac{J_1(\pi B \theta / \lambda)}{\pi B \theta / \lambda} \right)^2$$

The expected squared visibility of a binary star is given by:

$$V_{nb}^2 = \frac{V_1^2 + V_2^2 r^2 + 2V_1 V_2 r \cos\left(\frac{2\pi}{\lambda} \vec{B} \cdot \vec{s}\right)}{(1 + r^2)}$$

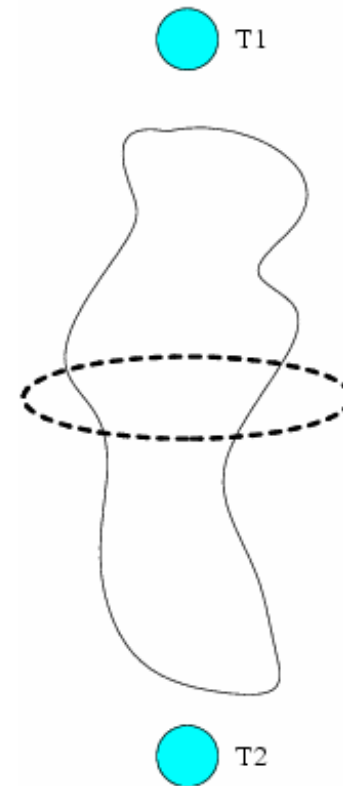
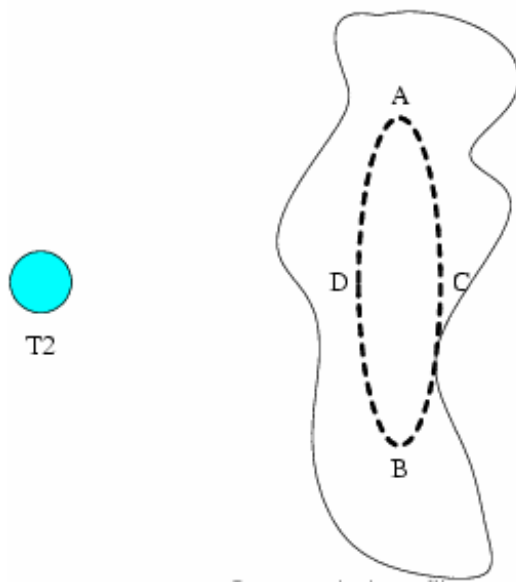
where  $V_1$  and  $V_2$  are the visibility moduli for the two components,  $r$  is the apparent brightness ratio,  $B$  is the projected baseline vector, and  $s$  is the primary-secondary angular separation vector on the plane of the sky.

# Location, Location, Location

- Decide which baseline is best suited for your target (geometrical studies may require multiple baseline data).

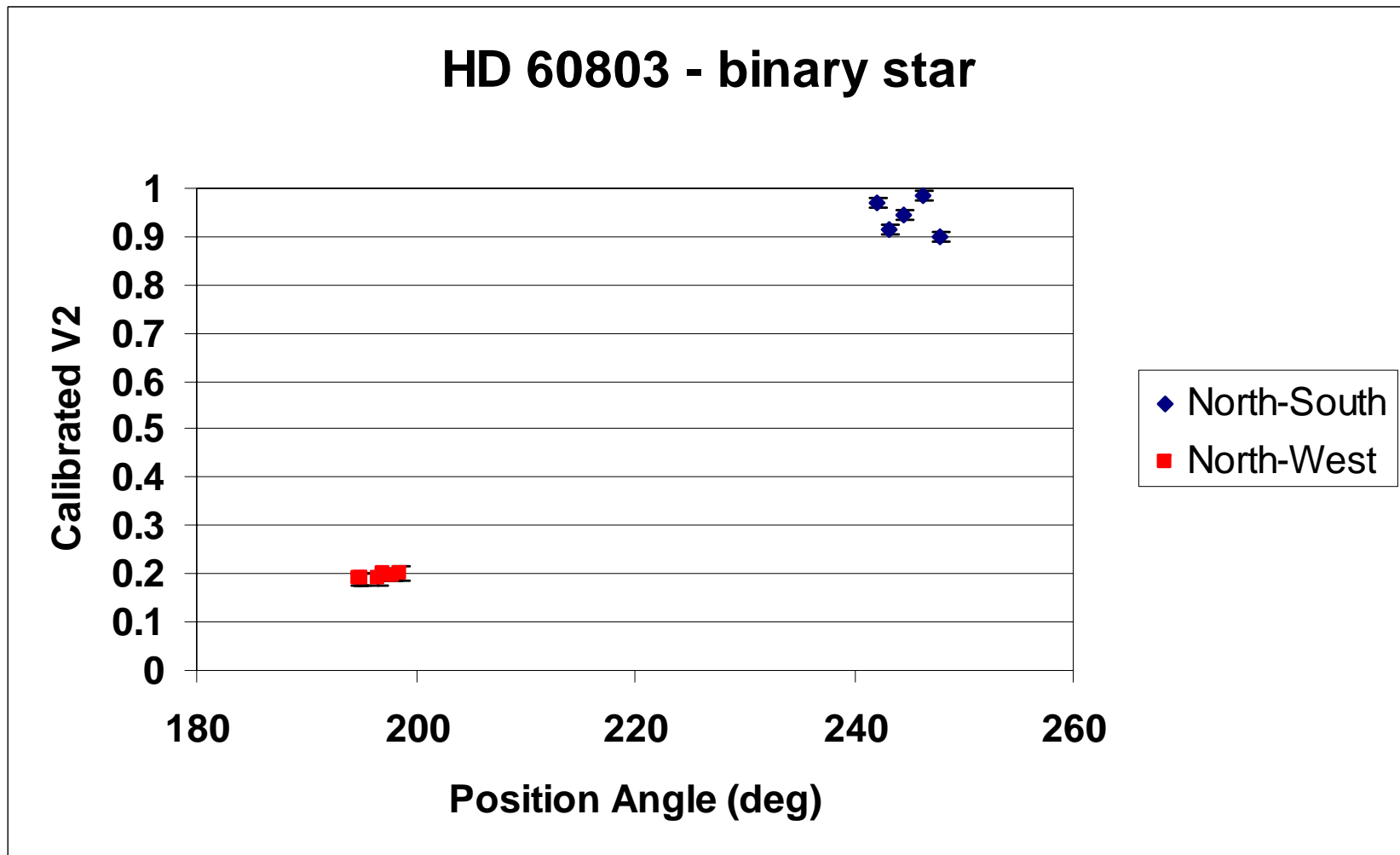
• **Beam undersamples object**

**Beam reoriented for better resolution**





# Proper baseline orientation: HD 60803



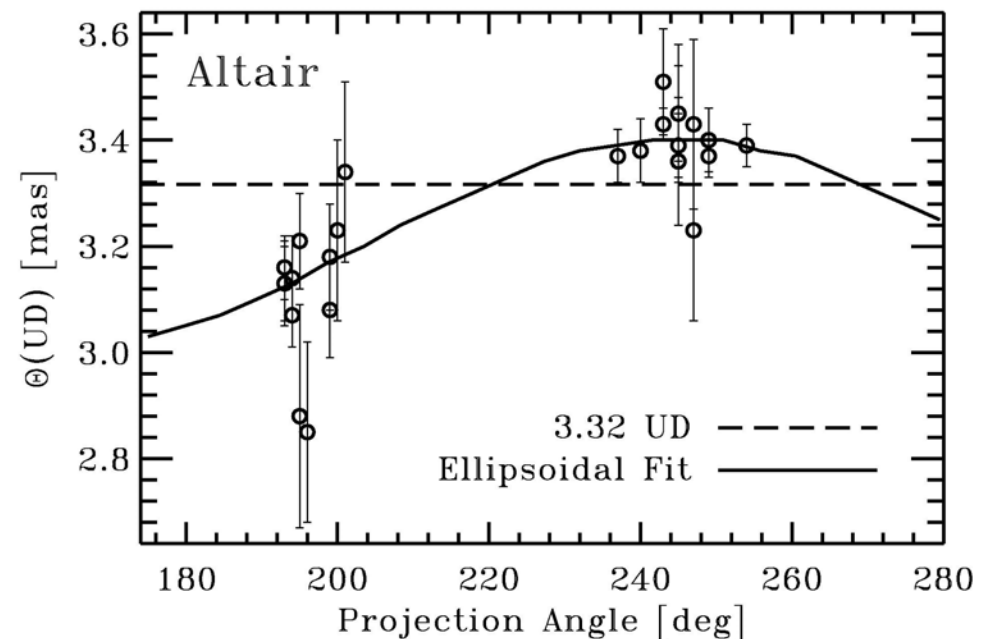
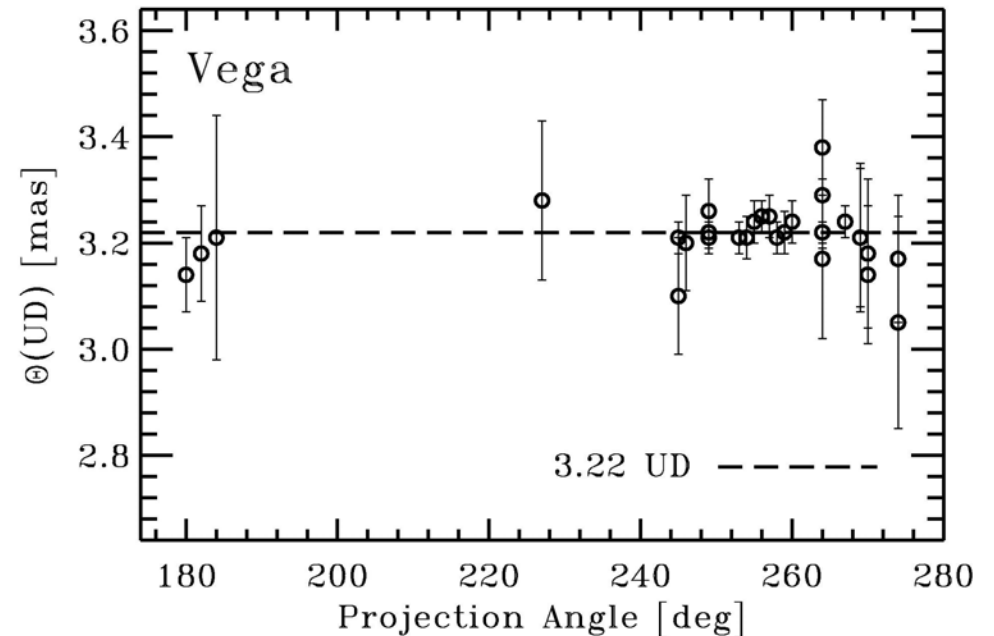
# Sampling of target

- For static targets (ie: non-pulsating stars), a few scans over a few nights may be enough to determine UD diameter.
- Long-term variables ( $P \sim 200\text{-}500\text{d}$ ): a few scans every few weeks to sample the full pulsation period.
- Short-term variables may be sampled a few times per night over the course of their pulsation period (10 - 50 d).
- Binaries: know thy orbital period!
- *Decide on how well you wish to determine  $V^2$  changes (Every 5% of period? Every 10%?)*
- Departures from UD? Get long coverage over a night, change baseline orientation, repeat.

## Multi-baseline observations

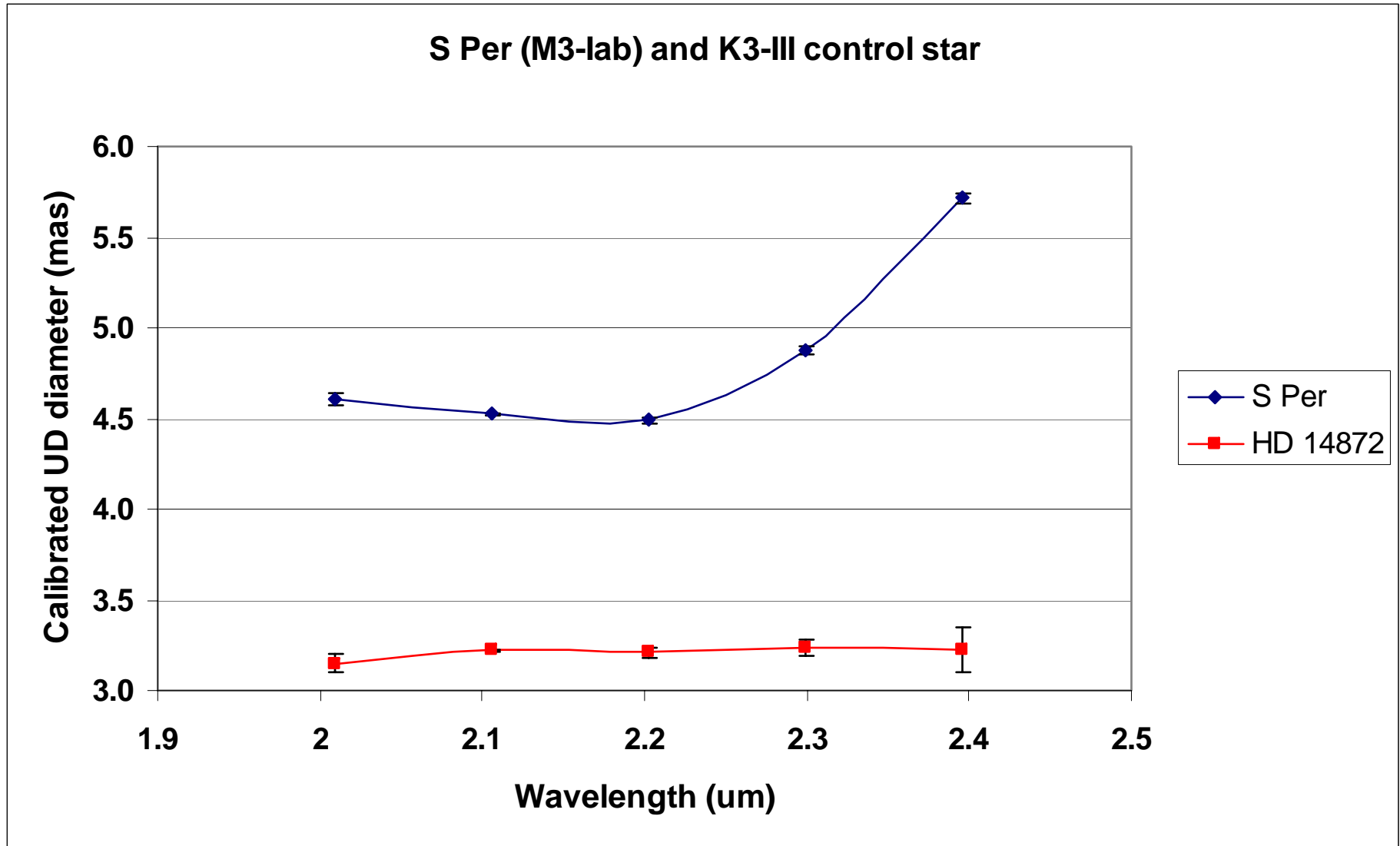
The rapidly-rotating star Altair was observed using two baselines rotated 50 deg to each other, indicating ellipticity. The top panel is the *control star*, Vega, showing no such effect with change in baseline.

(van Belle et al 2001)



# Control stars

Include these stars into your program to check system  
w.r.t. spectral and/or geometric considerations



# Review of data

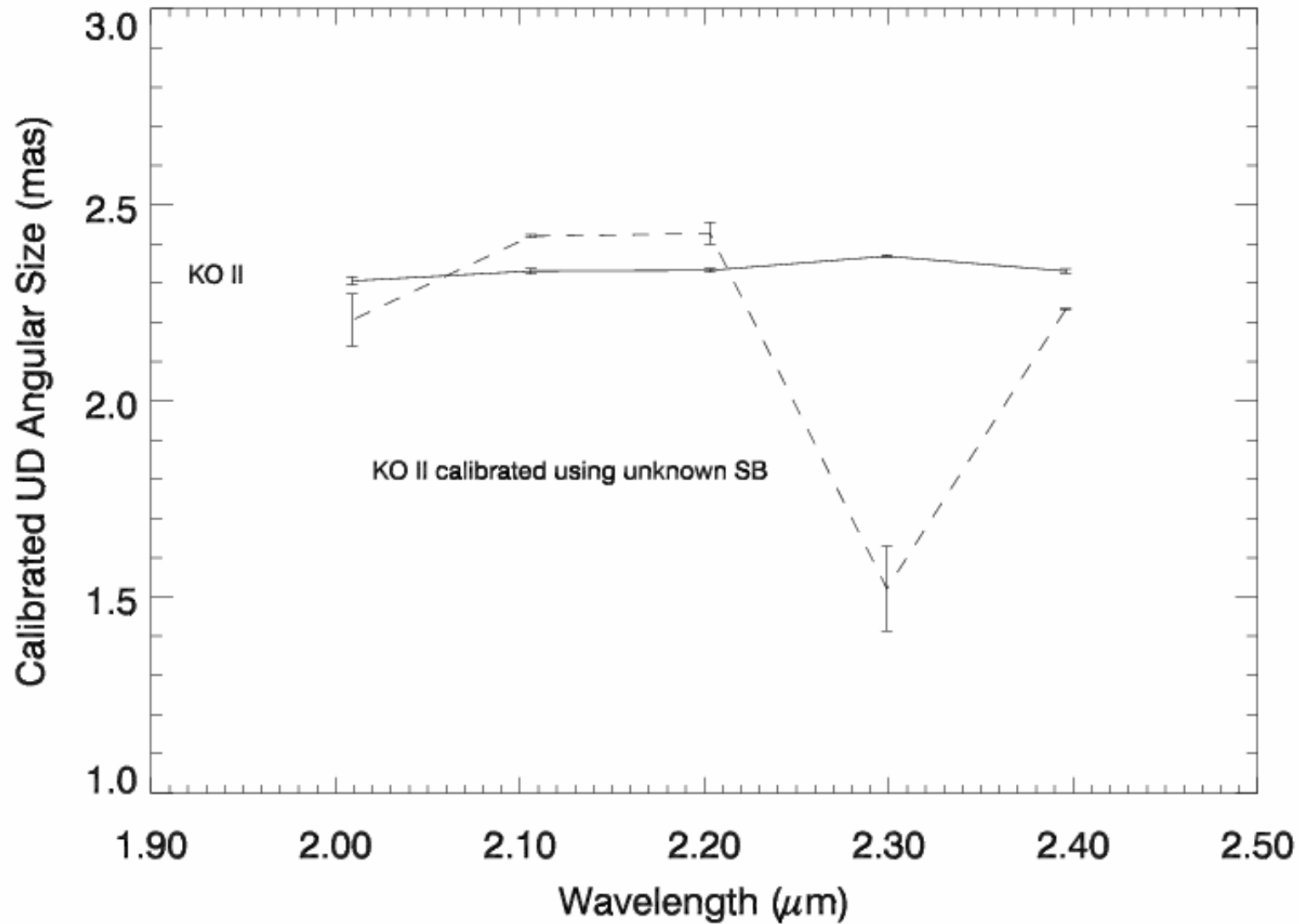
- Look at data as soon as it is possible!
- Review  $V^2$  behavior of calibrators (Are they changing? Why?)
- Review  $V^2$  behavior of target (Did you expect this behavior? Why or why not?)
- Don't wait until you've collected a year's worth of data on a target before you discover your choice of calibrators was poor, thus rendering all that good target data useless!

# When bad things happen to good data...

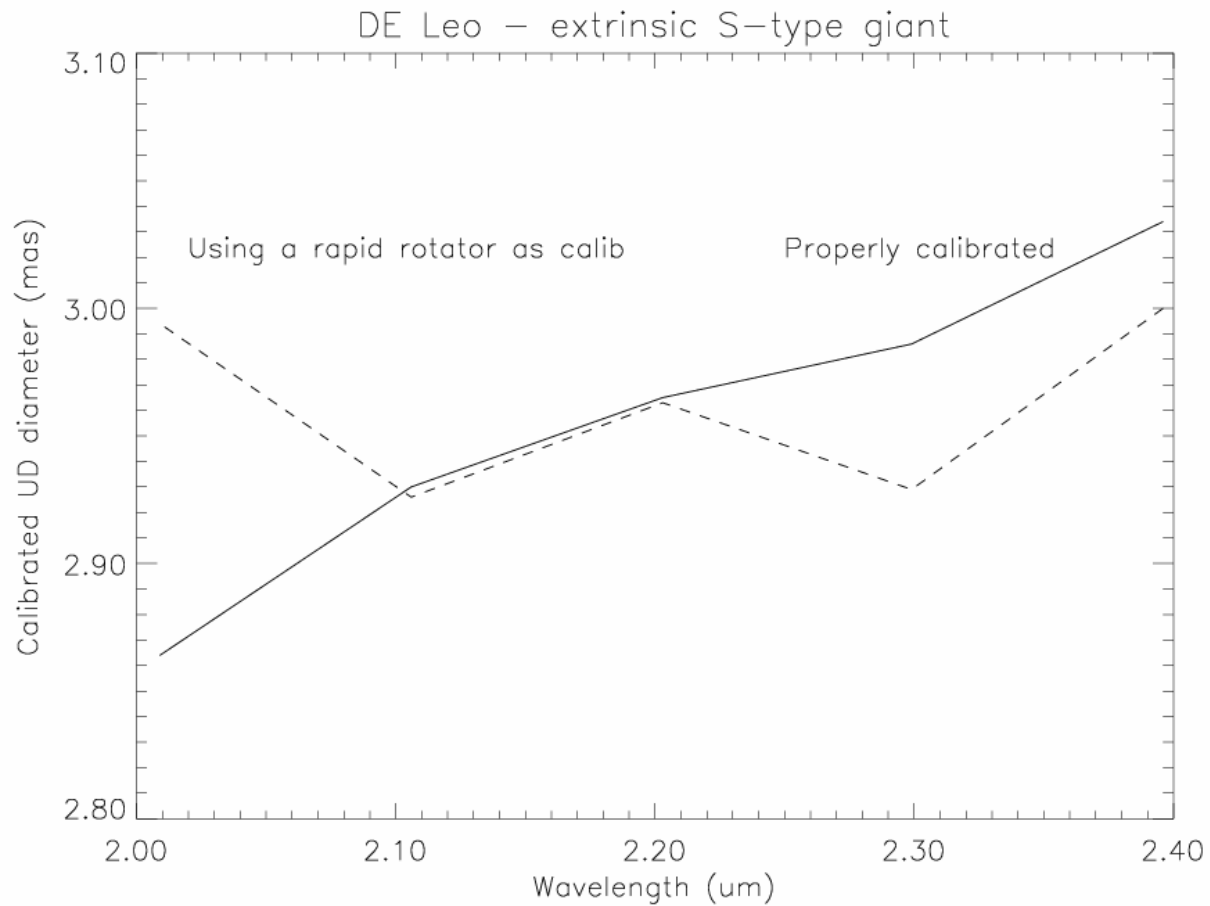




# Bad calibrator choice: calibrating a giant with an SB



# Bad calibrator choice: calibrating a giant with a rapid rotator

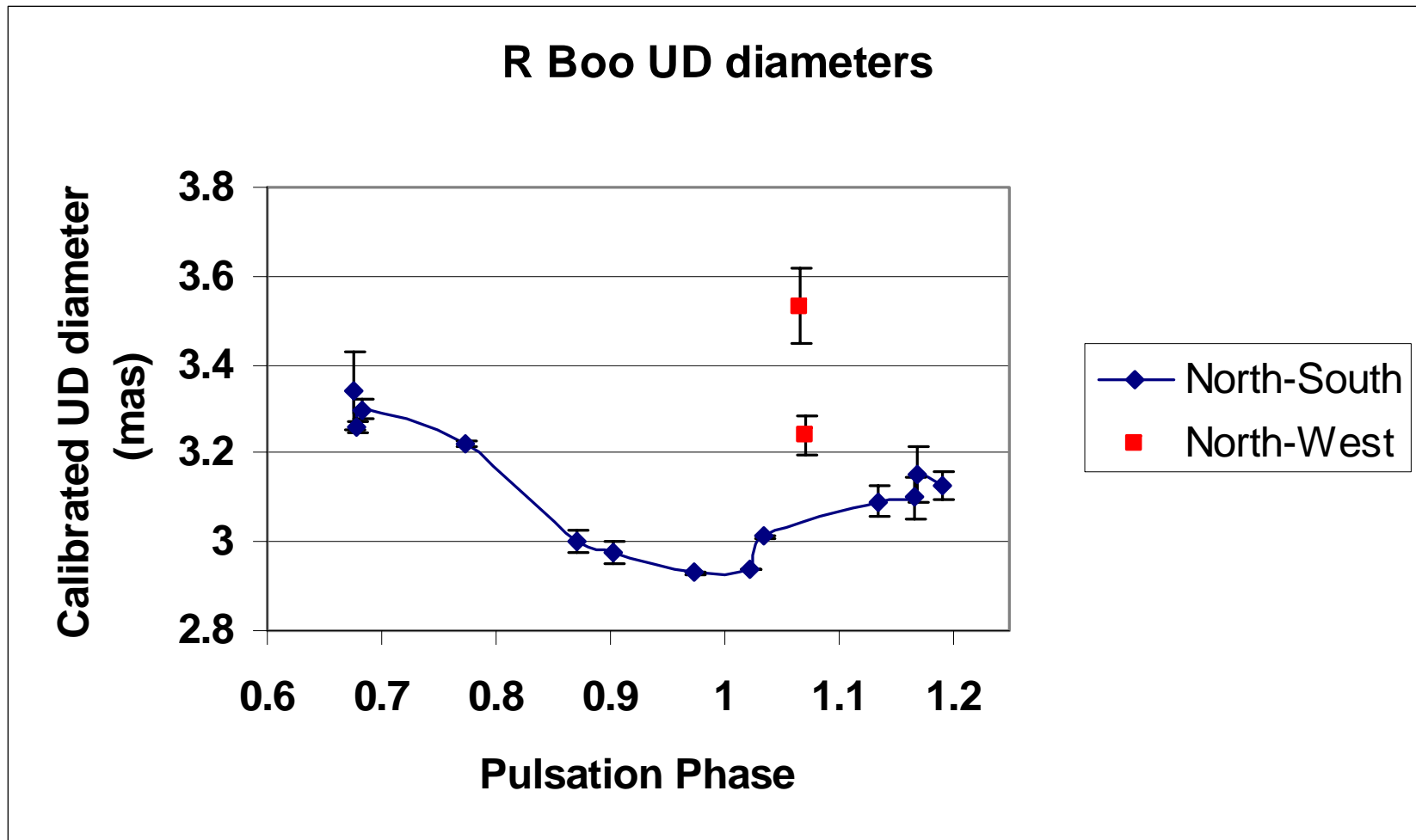


- I have calibrators that are stable in visibility over time.
- My target visibility is in the “sweet spot” of the visibility curve.
- The observations of my target agree with my predictions.

**...and still things go wrong**

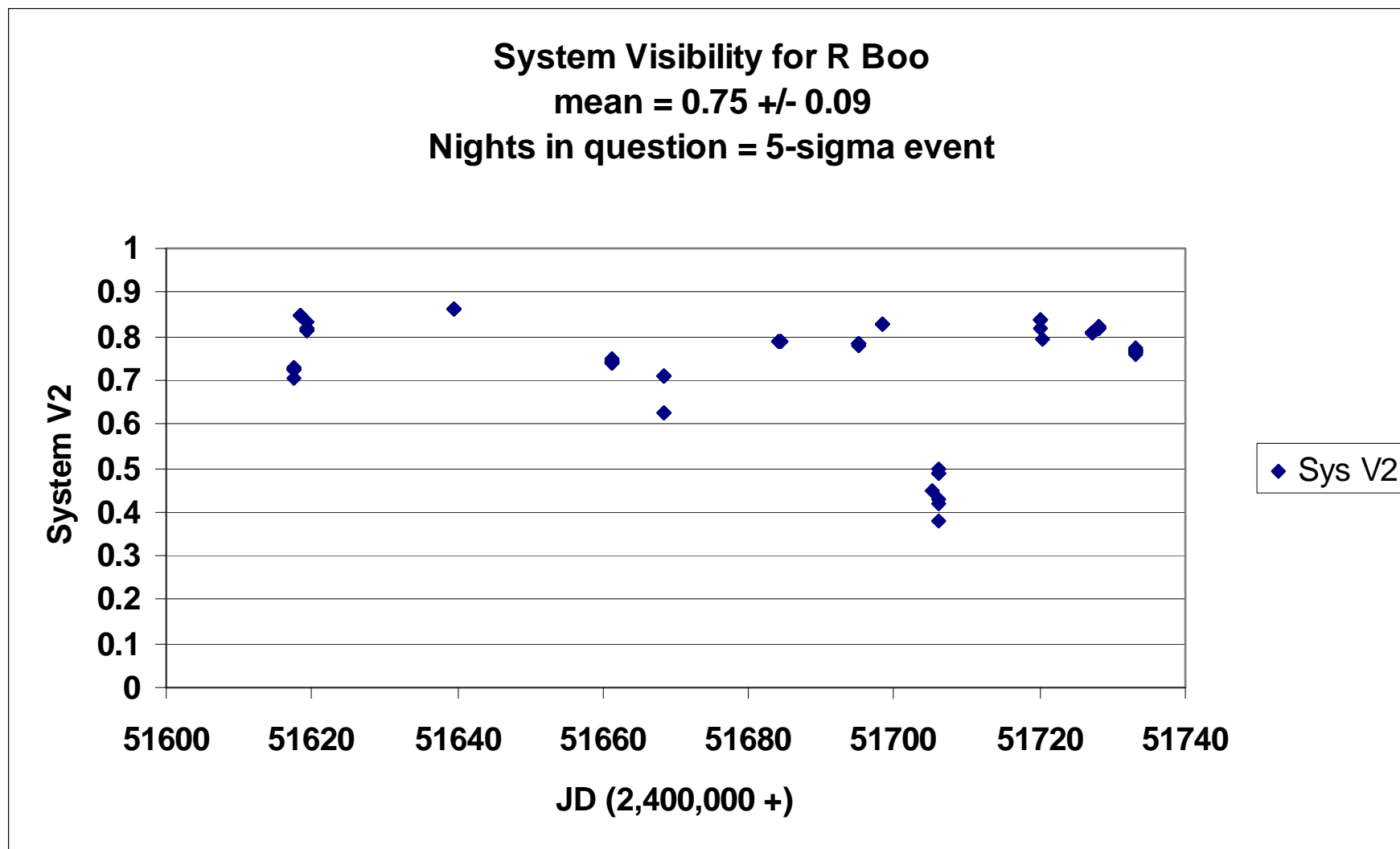
# Possible ellipticity?

(two data points at phase 1.07 taken using different baseline)



## Have to dig deeper...

The system visibility was very low for those two nights due to alignment drift.



## In such an event...

- Establish thresholds of what is considered “usable data”, based on system visibility, SNR considerations, performance of instrument and atmospheric conditions.
- If it doesn't make the cut you established, **THROW IT OUT.**
- Remember, getting bad data is worse than getting no data at all. (Don't chase something that isn't there in the data.)



# Summary

- *Know thy interferometer* (its limits, what it can and can't do for you, and how it behaved during data collection for each night).
- *Know thy target* (the nature of your object, what you expect to see and when/how you can see it).
- *Know thy calibrators* (their nature and size over time, use multiple calibrators, weed out unstable calibrators fast).
- *Know thy reduced dataset* (theory vs. observations, set thresholds of acceptability, analyze departures immediately)
- *Know thy journal editor* (don't overstate your dataset, such as using 4-component modeling of single-baseline visibilities).

A wide-field astrophotograph showing a dense field of stars. The stars are of various colors, including blue, white, yellow, and red. A prominent red nebula is visible on the left side of the image. The background is a dark, deep blue/black color.

**May your jitter be low...**

**(Wide field astrophoto by Brian Rachford, UC Boulder)**